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Future sea-level rise from tidewater glaciers and ice-shelf tributary glaciers of the Antarctic Peninsula

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Abstract

Iceberg calving and increased ice discharge from ice-shelf tributary glaciers contribute significant amounts to global sea-level rise (SLR) from the Antarctic Peninsula (AP). Owing to ongoing ice dynamical changes (collapse of buttressing ice shelves), these contributions have accelerated in recent years. As the AP is one of the fastest warming regions on Earth, further ice dynamical adjustment (increased ice discharge) is expected over the next two centuries. In this paper, the first regional SLR projection of the AP from both iceberg calving and increased ice discharge from ice-shelf tributary glaciers in response to ice-shelf collapse is presented. An ice-sheet model forced by temperature output from 13 global climate models (GCMs), in response to the high greenhouse gas emission scenario (RCP8.5), projects AP contribution to SLR of $28\pm16$ to $32\pm16$ mm by 2300 that is roughly split between tidewater glaciers and ice-shelf tributary glaciers. In the RCP4.5 scenario, sea-level rise projections to 2300 are dominated by tidewater glaciers ($\sim8$-$18$ mm). In this
cooler scenario, 2.4±1 mm is added to global sea levels from ice-shelf tributary drainage basins as fewer ice-shelves are projected to collapse. Sea-level projections from ice-shelf tributary glaciers are dominated by drainage basins feeding George VI Ice Shelf, accounting for ~70% of simulated SLR. Combined total ice dynamical SLR projections to 2300 from the AP vary between 11±2 and 32±16 mm sea-level equivalent (SLE), depending on the emission scenario used. These simulations suggest that omission of tidewater glaciers could lead to a substantial underestimation of the ice-sheet’s contribution to regional SLR.

Keywords: Ice dynamics, Sea-level rise, Tidewater glaciers, Ice-shelf collapse, Ice-shelf tributary glaciers

1. Introduction

The Antarctic Peninsula (AP) is a mountainous and heavily glaciated region, dominated by glaciers flowing directly into the sea (henceforth tidewater glaciers) and into floating ice-shelves (henceforth ice-shelf tributary glaciers). In response to the rapid warming experienced by this region over the last 50 years (Vaughan et al., 2003), glaciers have contributed at an accelerated rate to global sea-level rise (SLR) in recent years (Cook et al., 2005; Wouters et al., 2015). In addition to an increase in near-surface air temperatures, surface waters of the surrounding ocean have warmed (Meredith and King, 2005). This ocean warming has been accompanied by an acceleration (Pritchard and Vaughan, 2007) and retreat (Cook et al., 2005) of tidewater glaciers, leading to increased ice discharge to the ocean. Climatological changes have also affected ice-shelf tributary glaciers. Un-
like tidewater glaciers, ice-shelf tributary glaciers do not flow directly into
the ocean, but into a floating ice-shelf. This extension of the grounded ice
exerts backstress (buttressing force) on the grounded glacier upstream and
thus restrains ice flow. If this buttressing force is reduced or removed, the
grounded ice upstream will speed up, thin and discharge more ice into the
ocean. This behaviour has been observed at several locations in the AP re-
gion (Rott et al., 2002; Scambos et al., 2004; Rignot et al., 2004). Glaciers
draining into the Prince-Gustav-Channel and Larsen A embayments are still
adjusting to ice-shelf removal, some 20 years after ice-shelf collapse (Rott
et al., 2014; Scambos et al., 2014), and are contributing a significant portion
to the region’s SLR (McMillan et al., 2014).

Abrupt ice-shelf collapse events in the past have been linked to a combi-
nation of atmospheric warming (Vaughan and Doake, 1996; Scambos et al.,
2000) and increased basal melting (Pritchard et al., 2012; Holland et al.,
2015). Ice-shelves are thought to be structurally weakened prior to collapse
by i) hydrofracture of surface crevasses, and ii) basal melting at the ice-ocean
interface. In the latter process, warm ocean water erodes the underside of
the ice-shelf, thinning it and thus leaving the ice-shelf more vulnerable to
the process of hydrofracturing (Shepherd et al., 2003). Hydrofracture of sur-
face crevasses occurs primarily when sufficient meltwater is available at the
surface of the ice-shelf and can wedge open crevasses to cause catastrophic
ice-shelf disintegration (Scambos et al., 2004). Recent studies suggest that
other ice-shelf weakening processes such as fracturing and weakening of shear
margins may also be important and lead to a progressive weakening of the
ice-shelf prior to disintegration (Khazendar et al., 2015; Borstad et al., 2016).
A prime example of this is the progressive mechanical weakening of remnant Larsen B Ice Shelf over the last 15 years (Borstad et al., 2016). The importance of these processes may however vary for individual ice-shelves.

While projections of the surface mass balance are forecasted to provide a negative contribution to sea level, this is expected to be offset by sea-level rise contributions from ice dynamical changes (Barrand et al., 2013a). Owing to their short response times to ice dynamical perturbations, e.g. ice-shelf removal, in comparison to the rest of the Antarctic Ice Sheet (Barrand et al., 2013a), AP glaciers are projected to play an important role in the global SLR budget over the next century (Barrand et al., 2013a; Schannwell et al., 2015). Hitherto, ice-sheet modelling studies of the AP have focused on SLR projections from ice-shelf tributary glaciers, ignoring any contributions from tidewater glaciers (Barrand et al., 2013a; Schannwell et al., 2015). Given the observed acceleration and retreat of most tidewater glaciers (Cook et al., 2005; Pritchard and Vaughan, 2007), this may lead to a substantial underestimation of the SLR contribution from the AP. In this paper, we present the first comprehensive modelling study of SLR projections from both tidewater and ice-shelf tributary glaciers of the AP. Building on the work of Schannwell et al. (2015), ice-shelf collapse timing is not determined by thermal viability limits, but is instead based on the total number of melt days - a more direct and physically-based link to the process of hydrofracture. Daily instead of monthly near-surface temperature projections are used to estimate timing of future ice-shelf collapse events. To estimate grounding line retreat in response to ice-shelf removal, a new statistical framework is introduced that builds on previous work by Schannwell et al. (2015), but improves upon their
statistical parameterisation by relating expected grounding line retreat to the
degree of buttressing. Buttressing for each drainage basin at the grounding
line is calculated by dividing the normal pressure in presence of an ice-shelf
by the ocean pressure acting when no ice-shelf is present. The combined SLR
collection over the next 300 years is computed, including for the first time
the largest 235 tidewater glaciers throughout the northern AP. In addition
to this, volume responses of the largest 215 ice-shelf tributary glaciers are
simulated. These 450 drainage basins cover a total of 77% of the AP’s area,
providing a comprehensive coverage of the Antarctic Peninsula Ice Sheet
(APIS).

2. Data and Methods

2.1. Climate data and preprocessing

In order to estimate the timing of future ice-shelf collapse events, daily
near-surface temperature fields from 13 GCMs from the Coupled Model In-
tercomparison Project Phase 5 (CMIP5) (Taylor et al., 2011) were selected
using the Representative Concentration Pathway (RCP)4.5 (Vuuren et al.,
2011) and RCP8.5 emission scenarios. The selection of the GCM forcings
are provided in Figure A.6 and follows Schannwell et al. (2015). Tempera-
ture projection fields were bias-corrected against monthly ERA-Interim data
from the European Centre for Medium Range Weather Forecasts (ECMWF;
Dee et al., 2011) by shifting the future temperature fields by the average
bias for each month between the GCM and ERA-Interim temperatures over
the period 1979-2005 (Radić et al., 2014). The bias-corrected temperatures
were then compared to surface station data (Table B.2) from the AP. The
remaining temperature difference between bias-corrected temperature fields and surface station data is attributed to an inaccurate height representation in the temperature fields caused by the relative coarse spatial resolution of the models (∼0.75°). Owing to the rugged topography of the AP, this can introduce significant temperature differences (Jones and Lister, 2014). To correct for this, temperature fields were shifted by a temperature-height correction factor derived for each month from every station. As most surface stations are clustered in the north of the AP, temperature data from automatic weather stations were additionally included to improve spatial coverage. A list of stations is provided in the appendix (Table B.2). Height correction factors were then bi-linearly interpolated and extrapolated to provide an ice-sheet wide correction map for each month.

The same sample of GCMs was selected for monthly ocean surface temperature fields which were bias-corrected against the Extended Reconstructed Sea Surface Temperature (ERSST) v4 reanalysis product (Huang et al., 2015) using the same methods as for the surface temperature fields. A plot of the bias for each GCM is provided in the appendix.

2.2. Tidewater glaciers

A substantial portion of the mass loss of ice sheets and near-polar glaciers comes from calving (Rignot and Kanagaratnam, 2006; Benn et al., 2007a; Barrand et al., 2013b). While the importance of iceberg calving has been recognised and a number of empirical calving laws have been proposed (Brown et al., 1982; van der Veen, 1996; Benn et al., 2007b; Alley et al., 2008; Luckman et al., 2015), modelling iceberg calving remains a major source of uncertainty in ice-sheet models (O’Leary and Christoffersen, 2013). Unlike
the rest of the Antarctic Ice Sheet, the AP is located in a maritime climate, experiencing significant surface melt during the austral summer. These characteristics, combined with small- to medium-size calving fronts, demonstrate strong similarity to tidewater glacier systems in Alaska, Svalbard, and coastal Greenland. In the absence of a universal calving law, a scenario-type approach was employed utilising three different types of calving criteria which have been used to successfully simulate calving front retreat in at least one of these regions \cite{Brown1982, van der Veen1996, Luckman2015}. Each calving criterion is assessed in a separate simulation.

The first criterion (henceforth, water depth) relates calving rate to water depth \cite[e.g.][]{Brown1982}, using the updated formula from Pelto and Warren \cite{PeltoWarren1991}

\begin{equation}
V_c = 70 + 8.33 D_w,
\end{equation}

where $V_c$ is the calving rate in $m \, yr^{-1}$ and $D_w$ is the water depth in $m$ at the calving front.

The second criterion (henceforth, flotation criterion) follows van der Veen \cite{van der Veen1996} who argues that the calving front position is controlled by water depth and ice thickness, following the relationship:

\begin{equation}
H_c = \frac{\rho_w}{\rho_i} D_w + H_0,
\end{equation}

where $H_c$ is the critical thickness, $\rho_w$ and $\rho_i$ are water and ice densities, respectively, and $H_0$ represents the minimum thickness above the flotation thickness. Based on modelling studies from Columbia Glacier, Alaska \cite{van der Veen1996}, this parameter is set to 50 m in our experiments. Equation 2 does not provide a calving rate, but rather states that if the calving front
thickness becomes less than a critical thickness $H_c$, the calving front becomes unstable and retreats by calving icebergs.

Recent studies have highlighted the importance of ocean temperatures and submarine melting to calving (e.g. Straneo et al., 2010; Luckman et al., 2015). Luckman et al. (2015) derived a linear relationship between water temperature and calving rate for 3 tidewater glaciers in Svalbard. Due to the climatic similarities between AP glaciers and Svalbard glaciers, the linear law (henceforth, ocean criterion) was adopted, following the form:

$$V_c = 0.35 \times T,$$

where $V_c$ is in m per month and $T$ is the ocean temperature between 20-60 m in °C. Instead of ocean temperatures between 20-60 m, ocean induced calving simulations are forced by monthly ocean surface temperature projections. Ocean surface temperatures do not provide a good predictor for forecasting short term calving trends as these lead frontal ablation by 1-2 months (Luckman et al., 2015). However, since long-term calving behaviour is investigated, using ocean surface temperatures is justified. This is corroborated by a comparison of mean ocean surface temperatures from the World Ocean Database (Levitus et al., 2013) between 1995-2004 for the model domain with mean ocean temperatures for the same period for depths between 20-60 m. This results in a mean decadal temperature difference of 0.19±0.18°C between the two data sets. A maximum distance of 100 km between calving front and ocean pixel was selected, resulting in omission of the CSIRO GCM from further analysis.
2.3. Ice-shelf tributary glaciers

In order to model the ice dynamic contribution from ice-shelf tributary glaciers, two important parameters need to be estimated: i) ice-shelf collapse timing and ii) the expected grounding line retreat in response to ice-shelf removal.

Ice-shelf collapse timing is computed here according to the total number of melt days in a melt year, a direct link to the physical process of hydrofracture. Several studies noted that immediately prior to the collapse of Larsen B Ice Shelf, the number of melt days and thus the number of observed melt ponds increased dramatically (e.g. Scambos et al., 2003; van den Broeke, 2005). A shelf collapse melt day threshold of 102 days was calculated based on observational data from QuikSCAT microwave measurements over Larsen B Ice Shelf (Barrand et al., 2013c), a melt day threshold similar to a range of previously reported values (Scambos et al., 2003; van den Broeke, 2005). Future melt days and ice-shelf collapse timing were computed from an ensemble of 13 CMIP5 GCM runs (see section Climate data and preprocessing).

Ice flux across the grounding line is restrained in the presence of an ice-shelf (Schoof, 2007). Following Gudmundsson (2013) the normalised buttressing factor is computed:

\[ \Theta = \frac{N}{N_0}, \] (4)

where \( N \) is the normal pressure in presence of an ice-shelf, defined by

\[ N = \bar{n}_{gl}^T (R\bar{n}_{gl}). \] (5)
\(N_0\) is the ocean pressure acting normal to the grounding when no ice-shelf is present

\[
N_0 = \frac{1}{2} \rho gh
\]  

(6)

The vector \(\vec{n}_{gl}\) is the unit normal to the grounding line and,

\[
R = 2\eta \left( \frac{2}{\rho_h} \frac{d\rho}{dx} + \frac{d\rho}{dy} \right) + \frac{1}{2} \left( \frac{d\rho}{dy} + \frac{d\rho}{dx} \right)
\]

\[
\frac{1}{\rho_h} \left( \frac{d\rho}{dy} + \frac{d\rho}{dx} \right) + 2 \frac{d\rho}{dy} + \frac{d\rho}{dx}
\]

(7)

where \(\eta\) is the viscosity, \(\rho = \rho_i \left(1 - \frac{\rho_i}{\rho_w}\right)\), and \(h\) is the ice thickness at the grounding line.

Defined by Equation 4, drainage basins are buttressed when \(0 \leq \Theta \leq 1\); the ice-shelf is actually pulling the grounded ice when \(\Theta > 1\); and drainage basins are overbuttressed when \(\Theta < 0\). Overbuttressed (or \(\Theta < 0\)) means that ice slows down as it approaches the grounding line, and mass conservation would require that ice thickens towards the grounding line \(\left(\frac{dh}{dx} > 0\right)\).

\(\Theta\) was computed for each drainage basin using velocity data from Rignot \textit{et al.} (2011), viscosity data from output of an ice-sheet model inversion of surface velocity data (Arthern \textit{et al.}, 2015), and ice thickness data from Huss and Farinotti (2014) where available and Bedmap2 (Fretwell \textit{et al.}, 2013) elsewhere. 128 of the 215 ice-shelf tributary drainage basins are buttressed, 52 experience ice-shelf pulling, and 35 drainage basins are overbuttressed.

Basins experiencing ice-shelf pulling are characterised by narrow ice fronts with strong shear margins. These basins are omitted from the analysis as we do not expect any ice dynamical adjustment following ice-shelf collapse.

While ice dynamical changes may be expected for overbuttressed drainage basins, these glaciers were also excluded from further analysis as Schoof’s
flux formula (Schoof, 2007, equation 29) is not valid for these cases.

The new parameterisation of grounding line retreat is based on the assumption that highly buttressed drainage basins will react more to ice-shelf removal than lightly buttressed basins. Ice flux across the grounding line is computed for each drainage basin for the buttressed and the unbuttressed case ($\Theta = 1$) using Schoof’s flux formula (Schoof, 2007). The remaining input data for Schoof’s flux formula (basal drag and rheological coefficient) were obtained from output of an ice-sheet model inversion (Arthern et al., 2015).

Adjustment times for drainage basins are scaled to $\Theta$. The maximum mean adjustment time (for infinitesimal positive $\Theta$) is set to 20 years, following observations from Larsen A Ice Shelf (Rott et al., 2014) and no mean adjustment time is allowed for $\Theta = 1$. In between these bounds, the mean adjustment time is computed using Schoof’s $\Theta$ exponent:

$$M \propto \Theta^{(n/m+1)}$$ (8)

where $M$ is the mean adjustment time, $n=3$, and $m=1/3$.

As mean adjustment times are based on current observations, uncertainties are associated with adjustment times derived from equation 8. To account for this, we allow for uncertainty in the grounding line retreat rates within the bounds of a mean adjustment time. These realisations are set by a gamma distribution with shape parameters $k = M/1.5$ and $\Theta_\gamma = 1.5$. The shape parameters represent greater certainty in short adjustment times and less certainty over longer adjustment timescales, allowing wider spread around the mean adjustment time in the latter case (Figure 1a). For each of the 10000 computed adjustment times, a corresponding step-response function
for $\Theta$ is computed (Figure 1b). This mimics the behaviour observed in the Amundsen Sea Sector of West Antarctica where glaciers have been observed to retreat rapidly, then remain stable, before rapid retreat commences again (Favier et al., 2014). The number of steps in the function and when these steps occur for each step-response function are randomly determined (Figure 1b). However, the maximum number of steps has to be smaller or equal to the adjustment time. The grounding line retreat for each realisation is then computed as follows:

$$
\Delta x_{gl} = \sum_{M=1}^{M} \frac{(q_{bgl,M} - q_{gl})}{h_{gl}}
$$

(9)

Here, $q_{gl}$ is the unbuttressed grounding line flux and $q_{bgl,M}$ is the buttressed flux for that year using the updated $\Theta$ value from the step-response function (Figure 1b). The retreat distance for each ice-shelf buttressed drainage basin is determined by taking the mean of the 10000 retreat realisations (see Table 1).

Grounding line retreat of $>1$ km is projected for 22 drainage basins. The vast majority of the drainage basins are expected to show very little retreat. The highest retreat rates are located at drainage basins which are strongly buttressed and possess thick ice at the grounding line. The least retreat in response to ice-shelf collapse is expected for the drainage basins of Larsen B (Scar Inlet) and Larsen C Ice Shelf (Table 1). This is in agreement with independent model simulations suggesting passive shelf ice at Larsen C Ice Shelf (collapse of the shelf will not induce much grounding line retreat at upstream basins (Fürst et al., 2016)).
2.4. Model and experimental design

Ice dynamic contribution to SLR was simulated with the British Antarctic Survey Antarctic Peninsula Ice Sheet Model (BAS-APISM), previously shown to be suitable for the unique topographic setting of the AP (Barrand et al., 2013a; Schannwell et al., 2015). Our simulations comprise two experiments: i) the SLR contribution to 2300 of 235 drainage basins is computed, using a range of empirically-based calving criteria. In the first simulation, iceberg calving is allowed until 2100 and in the second simulation, calving is permitted until 2300. Differing forcing periods for calving were applied to investigate their influence on sea-level projections at the end of the simulation period. In experiment ii) the end members of the calving simulation permitting calving until 2300 are combined with SLR projections from 215 ice-shelf tributary glaciers to estimate the total ice dynamic SLR contribution for the AP. Ice-shelf collapse is permitted until 2300 for all simulations.

3. Results and Discussion

3.1. Sea-level rise from tidewater glaciers

Simulated SLR projections from tidewater glaciers underline their crucial importance to the regional sea-level budget of the AP region. For the simulation allowing calving to 2100, projections are between 3.2±1.6 mm and 18.6 mm, and for the experiment permitting calving to 2300 between 8.7±2.9 and 18.6 mm. Uncertainty ranges (±1σ) are available for ocean criterion simulations only. Across the two experiments, differences are present in projections from the ocean criterion, indicating a considerable change in ocean forcing between the emission scenarios (Figure 2).
Differences in SLR projections are most pronounced in the simulations allowing calving to 2100 (Figure 3a). In these simulations, projections from the ocean criterion are an order of magnitude smaller than projections from the flotation and the water depth criteria. These two calving criteria project the vast majority of their total SLR by 2300 over the next 50 years. This is mainly due to the fact that a few drainage basins (e.g. Fleming Glacier, Wordie Bay) rest on bedrock located well below sea level and thus are very vulnerable to iceberg calving in the flotation and water depth criteria (see equations 1 and 2). In contrast to the projected 18.6 and 13.7 mm by 2300 from the water depth and flotation criteria respectively, SLR projections using ocean forcing are moderate, projecting 3.2±1.6 mm for the RCP4.5 and 5.0±2.3 mm for the RCP8.5 emission scenario (Figure 3a).

These differences in SLR projections are smaller in the simulations where iceberg calving is permitted until 2300. While SLR projections from the water depth and flotation criteria remain unchanged, projections from the ocean criterion are an order of magnitude higher and in a very similar range as the other calving criteria (Figure 3b). This means that for the water depth and flotation criteria, all retreat is projected to occur prior to 2100 in all simulations. In contrast SLR projections from the ocean criterion are small to 2050 (< 1 mm), but increase dramatically after that. The RCP8.5 scenario projects even marginally higher SLR than the flotation criterion at 13.9±2.1 mm, while scenario RCP4.5 projects a SLR of 8.7±2.9 mm by 2300 (Figure 3b).

The larger discrepancy in SLR between the emission scenarios can be explained by the much steeper increase in ocean temperatures for the RCP8.5
scenario in the latter two centuries of the simulation period. While there is only a 1.8±0.7 mm difference in the first simulation (Figure 3a), this difference almost triples to 5.2±0.8 mm in the second simulation (Figure 3b). This is also reflected in the ocean temperature projections (Figure 2). In 2100, the temperature difference between the scenarios is at 0.6°C, but increases to 4°C by 2300. The total warming observed in the multi model mean of RCP8.5 is 4.6°C (Figure 2). This ocean warming however is not spatially homogeneous. Rather, there are noticeable differences between the west and east coasts of the peninsula. To the west of the peninsula, warming is more pronounced at 0.96°C per century, compared to 0.85°C for the eastern side of the peninsula. This modelled temperature disparity between the two regions continues the pattern observed in the second half of the 20th century (Meredith and King, 2005).

In the absence of a universal calving law, it is important to note that none of our calving criteria are specifically tuned for the AP. BAS-APISM also cannot simulate glacier front advance. These limitations mean that the SLR numbers reported here should be understood as a first-order estimate of SLR from tidewater glaciers. While surface ocean temperatures appear to be a reasonable approximation of temperatures at depths between 20-60 m, uncertainties remain how well these modelled temperatures reproduce coastal ocean temperatures. The projected 18.6 mm from the water depth criterion should be interpreted as a maximum that can be expected from these 235 glaciers. In the simulations using this criterion, the calving front retreats at each drainage basin until the bedrock on which the glacier rests is very close to sea level.
Evaluating the suitability of calving criteria to project calving rates remains difficult. Studies investigating calving behaviour of individual glaciers in different environmental settings have noted that the processes controlling calving are multi-faceted and may vary for individual glaciers (Nick et al., 2013; James et al., 2014; Luckman et al., 2015). Other studies have successfully reproduced calving retreat rates using simple empirical calving criteria (Vieli et al., 2001; Nick and Oerlemans, 2006). An indication of the general agreement across the calving criteria is provided by the second simulation (Figure 3b), where Fleming and Prospect glacier, Wordie Bay, are the largest single contributors to SLR regardless of the applied calving criteria, projected to contribute between 1.8 - 3.4 mm to SLR by 2300.

3.2. Combined ice dynamical sea-level rise

The combined SLR projections in the RCP4.5 scenario are dominated by the contributions from tidewater glaciers, accounting between 79% and 89% to the combined SLR. There is a very minor contribution from ice-shelf tributary glaciers to 2150, and their contribution to 2300 remains small at $2.4 \pm 1.5$ mm. This relative unimportance is due to the absence of ice-shelf collapse (Figure 4). In the RCP4.5 scenario, the multi model mean suggests disintegration of 50% of the 10 ice shelves (Figure 4). Only one of the ice-shelf tributary glaciers of George VI Central contributes significantly to SLR. This basin is responsible for 67% of the SLR projected from ice-shelf tributary glaciers, demonstrated by the step in the sea level curve following this shelf collapse in year 2210 (Figure 5).

The overall importance of ice-shelf tributary glaciers to SLR increases in the RCP8.5 scenario (Figure 5b). All 10 ice-shelves are projected to disintegrate
in this simulation (Figure 4). Moreover, collapse timings of ice-shelves that collapsed in the RCP4.5 occur earlier in RCP8.5. The later the forecasted ice-shelf collapse in RCP4.5, the larger is the shift in timing in the RCP8.5 scenario. While there is only a 33 year shift for Larsen B North, this shift increases to 168 years for George VI North, the last ice-shelf to collapse in the RCP4.5 scenario (Figure 4).

The collapse of more ice-shelves results in much higher SLR projections from ice-shelf tributary glaciers (Figure 4). In contrast to the RCP4.5 scenario, ice-shelf tributary glaciers are as important as tidewater glaciers in this simulation. They contribute 51.4% and 42.4% to the 26.7±16.2 and 32.3±16.2 mm projected for the combined minimum and the combined maximum, respectively (Figure 5b). These projections increase by another 6±1.6 mm if overbuttressed glaciers are taken into account by setting Θ for each of these drainage basins to the minimum value (maximum buttressing) of all ice-shelf tributary glaciers. As overbuttressed drainage basins violate the Schoof flux formula, these projections should be interpreted with caution and are therefore omitted from the total SLR projections. Since not all SLR projections from tidewater glaciers supply uncertainty ranges, uncertainty ranges for all combined SLR projections are reported as ±2σ of ice-shelf tributary glacier simulations.

The relative importance of each ice-shelf to overall SLR can be assessed from the step size in the SLR curve triggered by individual ice-shelf collapse responses. While some ice-shelf collapses result in no or only a very minor increase in sea level, there are two major steps present in the sea level curve (Figure 5b). These represent the ice-shelves that were identified as the most
crucial to overall SLR. By far the largest single contributor to SLR is George VI Ice Shelf South followed by Larsen D Ice Shelf South. The former contributes 7.5±4.4 mm by 2300 or 54% of the total contribution from ice-shelf tributary glaciers, while the latter contributes 2±1.6 mm by 2300 or 14% of the total contribution. Combined, these ice-shelves account for 68% of the total projected SLR from ice-shelf tributary glaciers.

Ice-shelf collapse is based on an empirical parameterisation of the physical process hypothesised as being the principal reason for ice-shelf collapse - surface meltwater-induced hydrofracture. However, this collapse mechanism may not be the sole process driving ice-shelf disintegration (Shepherd et al., 2003; Khazendar et al., 2015) and thus ice-shelf collapse might be mis-forecasted. *Grounding line retreat from a gradual loss of buttressing (e.g. through ice-shelf thinning) where no collapse occurs* was also omitted. Moreover, bedrock topography is only taken into account for tidewater glacier retreat computations, omitting the potential of marine-ice-sheet instability (MISI), a self-sustained retreat of the grounding line on retrograde sloping bedrock, in ice-shelf tributary drainage basins. While a recent study suggests that widespread MISI is unlikely in the AP (Ritz et al., 2015), there is evidence that some regions might be susceptible to this mechanism (e.g. Scar Inlet and George VI Ice Shelf) (Farinotti et al., 2014; Wouters et al., 2015). Despite these simplifications, the implemented grounding line retreat parameterisation predicts plausible retreat rates in agreement with theoretical considerations.

In comparison to earlier ice dynamical SLR projections from ice-shelf tributary drainage basins by Schannwell et al. (2015), the projections presented
here are slightly higher for the RCP4.5 scenario and slightly lower for the RCP8.5 scenario. Discrepancies in SLR between Schannwell et al. (2015) and this study arise due to the improvement in grounding line retreat and ice-shelf collapse parameterisations here. Unlike in the previous grounding line retreat parameterisation, the new parameterisation permits estimation of uncertainty ranges for each simulation. Moreover, ice-shelf collapse timing is calibrated on observations, providing a more robust approximation for future collapse estimates.

3.3. Uncertainty assessment

In order to test the robustness of the modelled SLR projections a suite of sensitivity experiments was performed. Since SLR projections from tidewater glaciers should be understood as a first-order estimate and the three calving criteria provide an envelope of future scenarios, the sensitivity experiments concentrate on ice-shelf tributary SLR contributions.

There are two main sources of uncertainty: climate (ice-shelf collapse timing) and grounding line retreat parameterisation. The influence of climate variability on SLR projections is demonstrated by the difference between the two emission scenarios. In RCP8.5, projections are ~6 fold higher than in RCP4.5. Nonetheless, the importance of ice-shelf collapse timing in a worst-case scenario is relatively moderate. The most extreme scenario with immediate collapse of all fringing ice-shelves leads to an increase of 3.7 mm (27%) in comparison to the projection from RCP8.5.

How much the position of the grounding line changes in response to ice-shelf collapse is of crucial importance for SLR projections from ice-shelf tributary
glaciers. In the parameterisation implemented here, the mean adjustment
time is scaled to buttressing and is based on available observations from
Larsen A Ice Shelf. Since ice dynamical changes are still ongoing in this
area, maximum adjustment time might be underestimated. Grounding line
retreat rates for each basin were computed using Schoof’s flux formula. To
investigate the sensitivity of the results, key parameters such as adjustment
time and all input data to the flux formula were perturbed by ±20%. Re-
results show that by far the most important parameter is ice thickness at the
grounding line. SLR projections from all other perturbed parameters vary by
<46% (<4.7±1.7 mm) in comparison to the reference simulations and lie all
within the reported uncertainty ranges. For perturbed ice thicknesses how-
ever, SLR projections vary by up to ∼400% (53.2±16.6 mm), increasing SLR
projections in RCP8.5 to 66.9±25 mm, more than double the SLR projected
for the combined RCP8.5 reference simulation. These results highlight the
key importance of accurate estimates of ice thickness at glacier grounding
lines.

To investigate the robustness of the results to perturbations to ice velocity,
the velocity map was perturbed by adding normally distributed noise (σ =
1 SD of unperturbed velocity map) to the unperturbed velocity map. Ice
velocity was used to estimate buttressing at each drainage basin. The per-
turbed velocity map was used to compute new Θ values for the 128 modelled
drainage basins. Of the 128 normally buttressed basins in the reference simu-
lation, 26 change to being overbuttressed and 31 to being unbuttressed. This
leaves 71 drainage basins for the perturbed model simulation. Despite the
smaller number of drainage basins, change in SLR for the RCP8.5 scenario
is negligible (~1%) in comparison to the reference simulation, indicating an increase in buttressing for these 70 drainage basins. Average buttressing for these basins increases from 0.59 to 0.43, negating the effect of fewer drainage basins modelled.

4. Conclusions

This paper has presented the first comprehensive modelling study of SLR projections from both tidewater and ice-shelf tributary glaciers of the AP. In total, the ice dynamical response of 450 drainage basins, comprising 77% of the AP’s area, was computed. Tidewater glaciers are an important contributor to the ice dynamic SLR projections from the AP. Omission of tidewater glaciers leads to an underestimation of SLR by >50%. In the RCP4.5 scenario, SLR projections are dominated by tidewater glaciers contributing >75% of the combined SLR, while tidewater and ice-shelf tributary glaciers contribute about the same to total SLR in the RCP8.5 scenario. If all ice-shelves disintegrate, George VI Ice Shelf is the largest single contributor, accounting for 9.8±5.5 mm (70%) of the total SLR projected from ice-shelf tributary glaciers. This agrees well with an earlier modelling study (Schanenwell et al., 2015) and is consistent with present-day observations of AP ice-sheet mass balance (Wouters et al., 2015). Sensitivity results show uncertainties in SLR projections remain due to calving, ice-shelf collapse, and grounding line retreat parameterisation. SLR projections for ice-shelf tributary glaciers are highly sensitive to ice thickness and to a lesser extent ice velocity. To reduce uncertainties further in future
simulations, accurate ice thickness and velocity maps are required for computation of buttressing and ice flux across the grounding line.

The Antarctic Peninsula Ice Sheet is projected to contribute between 11±2 and 32±16 mm to global SLR by 2300, depending on emission scenario. This corresponds to an annual contribution of 0.04±0.01 mm a\(^{-1}\) and 0.11±0.05 mm a\(^{-1}\) over the next three centuries, respectively. For comparison, the SLR contribution from the entire Antarctic Ice Sheet derived from satellite observations between 2003-2013 was 0.25±0.07 mm a\(^{-1}\) (Martín-Español et al., 2016). These findings underline the continued importance of ice dynamic SLR from the AP, even though the AP comprises only 1% of the total Antarctic Ice Sheet area.

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thank Rob Arthern for fruitful discussions and for providing model output data for our computations.
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Figure 1: (a) Gamma distributions used in grounding line retreat parameterisation for different mean adjustment times (M). (b) Sample of 100 random step-response functions for corresponding $M = 20$ curve in (a).
Table 1: Ice-shelf grounding line retreat distances, mean buttressing factor ($\Theta$), and the number of basins for each ice-shelf entity.

<table>
<thead>
<tr>
<th>Ice-Shelf</th>
<th>Mean Retreat [m]</th>
<th>$\Theta$</th>
<th>No. of basins</th>
</tr>
</thead>
<tbody>
<tr>
<td>Larsen B</td>
<td>691</td>
<td>0.47</td>
<td>6</td>
</tr>
<tr>
<td>Larsen C North</td>
<td>405</td>
<td>0.40</td>
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</tr>
<tr>
<td>Larsen C South</td>
<td>215</td>
<td>0.59</td>
<td>31</td>
</tr>
<tr>
<td>Larsen D North</td>
<td>656</td>
<td>0.60</td>
<td>16</td>
</tr>
<tr>
<td>Larsen D Central</td>
<td>250</td>
<td>0.57</td>
<td>11</td>
</tr>
<tr>
<td>Larsen D South</td>
<td>4140</td>
<td>0.66</td>
<td>20</td>
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<tr>
<td>George VI North</td>
<td>1960</td>
<td>0.52</td>
<td>4</td>
</tr>
<tr>
<td>George VI Central</td>
<td>7310</td>
<td>0.69</td>
<td>3</td>
</tr>
<tr>
<td>George VI South</td>
<td>10530</td>
<td>0.69</td>
<td>8</td>
</tr>
<tr>
<td>Stange</td>
<td>29540</td>
<td>0.54</td>
<td>1</td>
</tr>
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Figure 2: Multi model mean ocean temperatures for the ice-sheet model domain for RCP4.5 (blue line) and RCP8.5 (red line). Shading shows (±1σ) uncertainty.
Figure 3: SLR projection from tidewater glaciers permitting calving front retreat to 2100 (a) and to 2300 (b). Shading shows $\pm 1\sigma$ uncertainty.
Figure 4: Multi model mean melt day projections for all ice-shelves for the RCP4.5 (solid blue line) and RCP8.5 (solid red line) scenarios. Shading shows ($\pm 1\sigma$) uncertainty. Dashed blue lines and dashed red lines denote ice-shelf collapse timing for the RCP4.5 and RCP8.5 scenarios, respectively. Dashed black line approximates collapse threshold. Note that for Scar Inlet collapse timing for both scenarios is forecasted for the same year.
Figure 5: Combined SLR for RCP4.5 (a) and RCP8.5 (b) scenarios. Red and blue line correspond to combined minimum and combined maximum projection. Dashed blue lines approximate timing of ice-shelf collapse. Error bars are displayed where available.
Appendix A. Ocean temperature bias

Figure A.6: Ocean temperature bias in comparison to ERSST v4 from 1979-2005 for each GCM. Dashed black line indicates multi model mean (-0.6±0.7°C).
Appendix B. GCM temperature bias

Figure B.7: Near-surface temperature bias in comparison to ERA Interim from 1979-2005. Dashed black line indicates multi model mean (2.0±2.6°C).
<table>
<thead>
<tr>
<th>Station</th>
<th>Type</th>
<th>Lat</th>
<th>Lon</th>
<th>Height (m.a.s.l)</th>
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<tr>
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<td>-58.9</td>
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<tr>
<td>Biscoe Island</td>
<td>AWS</td>
<td>-66.0</td>
<td>-66.1</td>
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<td>Bonaparte Point</td>
<td>AWS</td>
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<td>Cape Adams</td>
<td>AWS</td>
<td>-75.0</td>
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<td>25</td>
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<tr>
<td>Deception</td>
<td>Surface</td>
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<td>-60.7</td>
<td>8</td>
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<tr>
<td>Dismal Island</td>
<td>AWS</td>
<td>-68.1</td>
<td>-68.8</td>
<td>10</td>
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<tr>
<td>Dolleman Island</td>
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<td>Fossil Bluff</td>
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<tr>
<td>Jubany</td>
<td>Surface</td>
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<td>4</td>
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<tr>
<td>Kirkwood Island</td>
<td>AWS</td>
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<td>-69.0</td>
<td>30</td>
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<td>Limbert</td>
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<td>Uranus Glacier</td>
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<td>753</td>
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Table B.2: List of weather stations used to compute the statistical lapse rate. AWS = Automatic Weather Station.