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# Modeling Extracellular Fields for a Three-Dimensional

# **Network of Cells using NEURON**

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## Supplementary Document

## S1. Toy Neuron Model

- 11 We present here further details about the development of the toy neuron model (see
- section 3.5). NEURON codes for model development and for the linking of extracellular
- spaces, via the technique presented in this work, have been provided along with a
- 14 flowchart that summarizes the various steps involved.

#### S1.1. Model Biophysics

- As seen in Fig. 13, each neuron consists of a soma, axon, and two proximal dendrites,
- each of which divides into two distal dendrites. The soma is spherical and is attached to
- the axon at one end, and the two proximal dendrites at the other end. The axon has been
- modeled as being long and thin, with uniform diameter. The diameter of the proximal
- 20 and distal dendrites is tapered with increasing distance from the soma. The
- 21 morphological parameters for the neuron model are presented in table S1. The soma
- 22 and the axon were endowed with Hodgkin-Huxley (HH) channels so as to enable them
- 23 to produce action potentials. The dendrites were provided only passive leak channels.
- 24 The reversal potential of the leak channels was set to -65 mV, similar to that for the HH

Table S1: Morphological parameters for the toy neuron model

Section	Parameter	Units	Value
soma	length	μm	20
	diameter	μm	20
	# of segments	-	1
axon	length	μm	1000
	diameter	μm	5
	# of segments	-	1001
proximal dendrites	length	μm	200
	diameter	μm	2 → 1
	# of segments	-	201
distal dendrites	length	μm	100
	diameter	μm	1 → 0.2
	# of segments	-	101

channels, thereby resulting in a resting membrane potential of around -65 mV for the

27

28

26

neuron.

#### S1.2. NEURON Code For Creating The Individual Neurons

The NEURON code presented below constructs a cell template, based on the biophysical parameters specified in the previous section. This template is then utilized to create two instances of the toy neuron.

```
38
               create soma, axon, p dend[2], d dend[4]
39
               soma {
                    L = 20
40
                    nseg = 1
41
                    diam = 20
42
                    insert hh
43
               }
44
               axon {
45
                    L = 1000
46
47
                    nseg = 1001
                    diam = 5
48
                    insert hh
49
50
               }
               forsec "p dend" {
51
52
                    L = 200
53
                    nseg = 201
                    diam(0:1) = 2:1
54
                    insert pas
55
56
                    e pas = -65
57
58
               forsec "d dend" {
59
                    L = 100
                    nseq = 101
60
61
                    diam(0:1) = 1:0.2
62
                    insert pas
                    e pas = -65
63
64
               }
65
               //Connecting all the sections together
66
67
               //-- Axon to Soma
               connect axon(1), soma(0)
68
               //-- Primary Dendrites to Soma
69
               for i = 0, 1  {
70
                    connect p dend[i](0), soma(1)
71
72
               //-- Secondary Dendrites to Primary Dendrites
73
               for i = 0, 1  {
74
```

```
75
                connect d dend[i*2](0), p dend[i](1)
76
                connect d dend[(i*2)+1](0), p dend[i](1)
77
            }
78
79
   endtemplate dummy neuron
   80
81
82
   //Creating the Neurons
   objref neuron[2]
83
   for i = 0, 1  {
84
       neuron[i] = new dummy neuron()
85
86
```

87

88

### S1.3. NEURON Code For Linking The Extracellular Fields

The NEURON code below implements the coupling of extracellular fields of the two adjacent neurons, at regions where they are in close spatial proximity.

```
objref slist1, slist2, list temp1, list temp2
91
92
     objref gmat, cmat, bvec, e, xl, layer, sl, lm
93
94
     RATIO ra by re = 0.01
                                                          // Specify
95
     Re = Ra/RATIO ra by re
                                                          // Ohm.cm
     xraxial value = Re*1e-6/(PI*((diam/2)^2)*1e-8)
96
                                                          // MOhm/cm
97
     Re Ohm = Re*1e-6*L*1e-4/(PI*((diam/2)^2)*1e-8)
98
                                                          // MOhm
99
     rlink = Re Ohm/nseg
                                                          // MOhm
100
     qlink = 1000/rlink
                                                          // nS
     ge value = (glink*0.1)/area(0.5)
                                                          // S/cm2
101
102
103
     proc setExtra() {
104
          forall {
105
               insert extracellular
               xc[0] = 0
106
               xc[1] = 0
107
```

```
108
               xq[0] = 1e-9 // Infinite Resistance
109
               xg[1] = 1e-9 // Infinite Resistance
110
111
               xraxial[0] = xraxial value
                                                        // MOhm/cm
112
               xraxial[1] = 1e9 // Infinite Resistance
113
114
          }
115
116
          print "Extracellular Mechanism Inserted"
117
          print "
118
119
120
     setExtra()
121
122
     proc setExtraLink() {
123
          // connected sections in neuron 1
          slist1 = new SectionList()
124
125
          // connected sections in neuron 2
126
          slist2 = new SectionList()
127
128
          // ensure that the order is the same
129
          neuron[0].axon slist1.append()
130
          neuron[1].axon slist2.append()
131
          neuron[0].soma slist1.append()
132
          neuron[1].soma slist2.append()
          neuron[0].p dend[0] slist1.append()
133
134
          neuron[1].p dend[0] slist2.append()
          neuron[0].d dend[0] slist1.append()
135
          neuron[1].d dend[0] slist2.append()
136
          neuron[0].d dend[1] slist1.append()
137
          neuron[1].d dend[1] slist2.append()
138
139
          nsegs = 0 // will contain total connected segs
140
          forsec slist1 {
141
142
               nsegs += nseg
143
          print "
144
```

```
print "Total Connected Segments = ", 2*nsegs
145
146
          print "
147
          gmat = new Matrix(2*nsegs, 2*nsegs, 2)
148
          cmat = new Matrix(2*nsegs, 2*nsegs, 2)
149
          bvec = new Vector(2*nseqs)
150
          xl = new Vector()
151
152
          layer = new Vector(2*nsegs)
          layer.fill(1)
153
154
          forsec slist1 {
155
                for (x, 0) {
156
                                    // for neuron 1
157
                     xl.append(x)
                     xl.append(x) // for neuron 2
158
159
                }
160
          }
161
          e = new Vector(2*nsegs)
162
163
          sl = new SectionList()
164
165
          list temp1 = new List()
166
          forsec slist1 {
                for (x, 0) {
167
168
                     list temp1.append(new SectionRef())
169
170
               slist1.remove()
171
          list temp2 = new List()
172
          forsec slist2 {
173
                for (x, 0) {
174
175
                     list temp2.append(new SectionRef())
176
177
               slist2.remove()
178
          }
179
          for i = 0, nseqs-1 {
180
181
               list temp1.object(i).sec sl.append()
```

```
182
               list temp2.object(i).sec sl.append()
          }
183
184
185
          ge = ge value // S/cm2
186
187
          for (i=0; i<(2*nsegs); i=i+2) {
188
                gmat.x[i][i] += ge
                gmat.x[i+1][i+1] += ge
189
                gmat.x[i][i+1] += -ge
190
                gmat.x[i+1][i] += -ge
191
192
          }
193
194
          lm = new LinearMechanism(cmat, qmat, e, bvec, sl, xl,
195
     layer)
196
          print "
197
          print "Extracellular Connected Via Link"
198
          print "
199
200
201
     setExtraLink()
```

As described in section 3.5, the neurons have been oriented such that one primary dendrite of each of the two neurons, along with the distal dendrites emerging from them, are considered to be at a sufficiently large distance from the other neuron to not have their extracellular spaces affected directly by it. This constraint was imposed to demonstrate an element of heterogeneity in the coupling of the extracellular regions of the two neurons. The exact nature of coupling between the two neurons can be made as complex as necessary, with the technique being amenable to any such requirements. The toy neuron model simply being an illustrative example, we have chosen to limit its complexity here by assigning equal coupling strengths between the various regions at which the two neurons are in close spatial proximity. This assumes that the two

neurons maintain a constant spatial separation throughout their morphology. If the need arises for differential coupling, potentially based on the distance of separation and/or other factors, the implementation requires only a minor modification to reflect the same. In the above implementation, this would translate into the dynamic evaluation of the parameter 'ge\_value' for each segment, with the value being a function of the distance of separation.

In the case of a network/syncytial model, variations in the boundary conditions are easily feasible within the presented framework. The extracellular boundary conditions, in NEURON, can be altered as required by modifying the values of the resistive, capacitive and voltage components (see Table 1 and Fig. 2) that define the extracellular features of each cell. Variations can be introduced, such as between peripheral and non-peripheral cells, or across the ends of a tissue/network, depending on the modeling requirements.

#### S1.4. Flowchart Describing Steps Followed For Toy Model

Fig. S1 shows a flowchart that summarizes the series of steps involved in developing the toy model. The steps involved in the coupling of the extracellular spaces of the two neurons, which form the crux of the present work, have been encapsulated within the dashed box. The only main prerequisite is to have the models of the individual neurons that need to be coupled extracellularly. The various stages, and also the terminology used for the various parameters (in red), are closely linked to the NEURON code presented in the previous section. Certain stages in the workflow have been represented via colored boxes, and these correspond to the stages where user input is required. The other stages are capable of continuing in their default configuration,

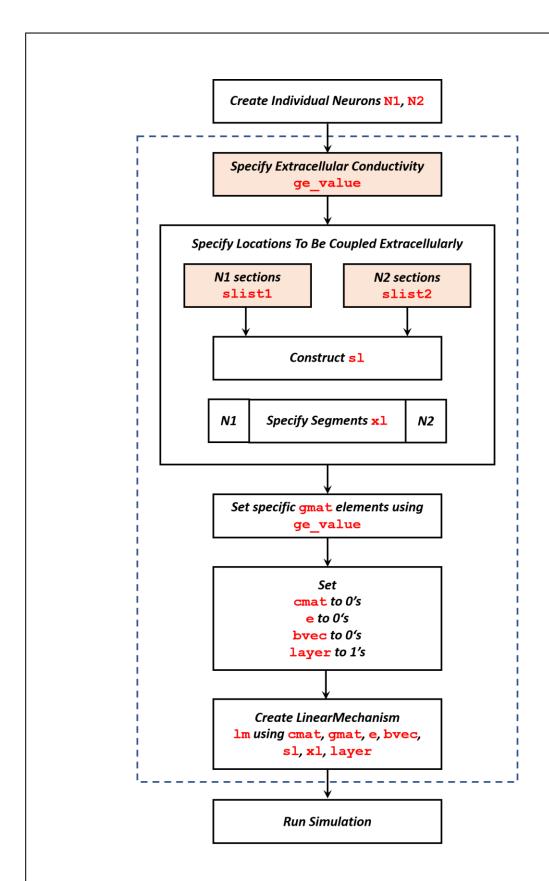


Figure S1: Flowchart summarizing the steps involved in developing the toy model. The dashed box encapsulates the steps involved in the coupling of the extracellular fields, and corresponds to the NEURON code presented in section S1.3. The colored boxes indicate the minimal stages where user input is required. The terms in red correspond to the variable names employed in the NEURON code.

coupling. This offers a degree of automation if the modeler simply wishes to reuse the existing extracellular coupling mechanism between different pairs of neurons. The process can be further streamlined by creating templates for the coupling mechanism and instantiating these wherever required. This would, in essence, be similar to creating templates for cells as employed in section S1.2, and may be advisable when handling large neuronal networks. But the wider capabilities and flexibility of the technique presented here is more evident when the modeler opts to explicitly tweak the individual parameters as dictated by the biophysical requirements of their model. The flowchart only attempts to present a very basic and easily reusable implementation of the technique.